



Middlebury

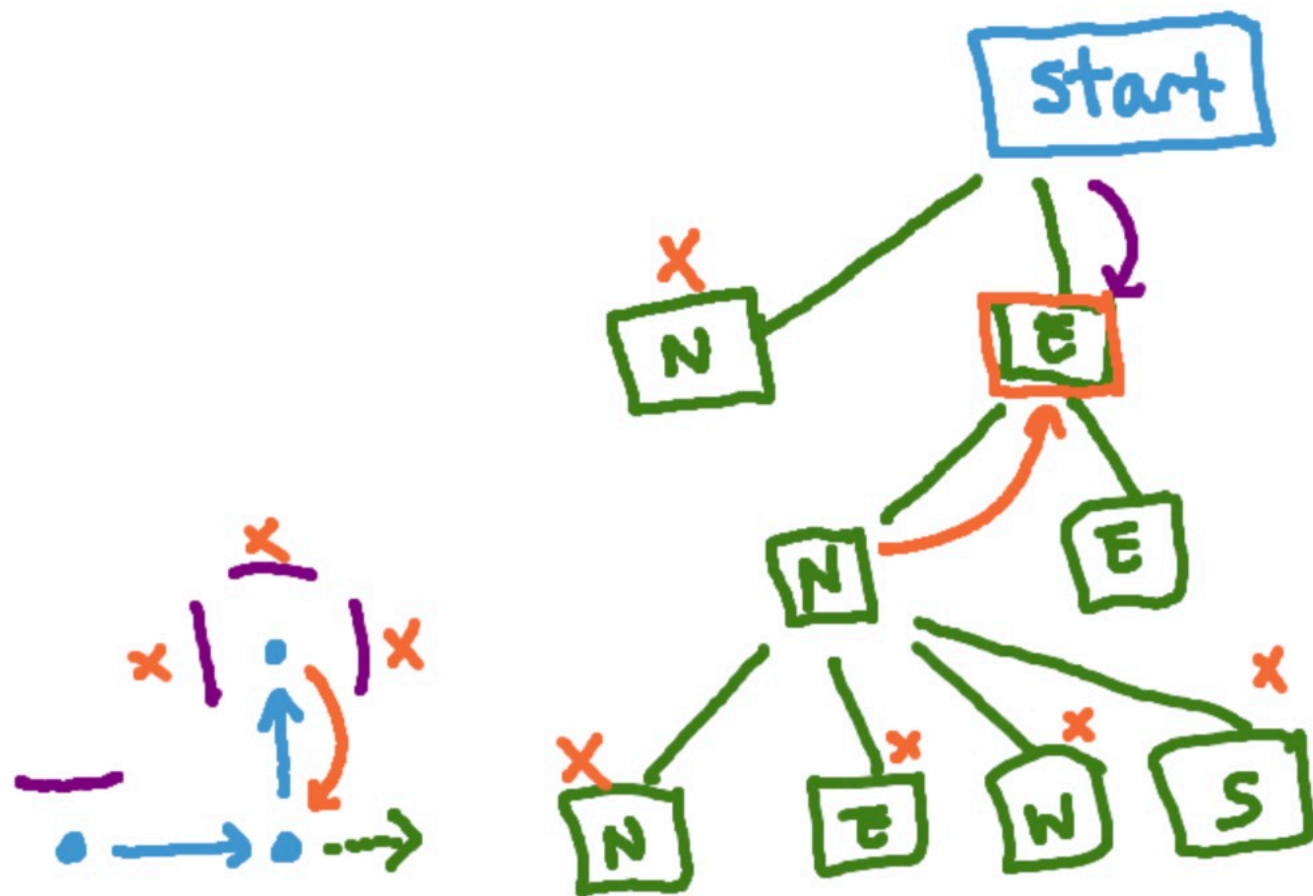
# CSCI 146: Intensive Introduction to Computing

Fall 2025

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## Lecture 14: Object-Oriented Programming

# A structured way to approach the maze problem.



CS 200

math

CS 201

implementing

CS 202

# Goals for today

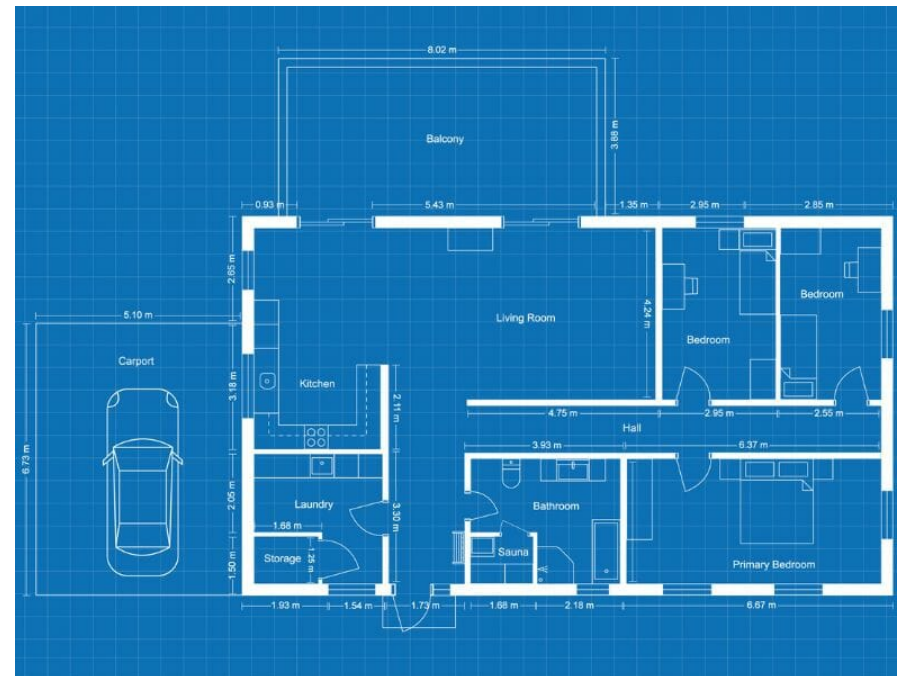
- Explain the relationship between types, classes and objects in Python
- Implement a class that overrides operators
- Use inheritance to create a specialized types while reusing code

Terminology is important: look out for what each term means.





**Class**  $\longleftrightarrow$  blueprint for a house,  
**object** (or class instance)  $\longleftrightarrow$  house,  
**reference**  $\longleftrightarrow$  address of house.



## Motivating example: representing rational numbers.

```
>>> 0.1 + 0.2 <= 0.3
```

```
>>> import decimal  
>>> decimal.Decimal(0.1 + 0.2)  
>>> decimal.Decimal(0.3)
```

It would be nice if we can make our own type to represent rational numbers. Ideas?

Handwritten notes illustrating the representation of rational numbers as tuples  $(a, b)$ :

$0.1 \rightarrow \frac{1}{10}$

$0.2 \rightarrow \frac{1}{5} \text{ or } \frac{2}{10}$

$r = \frac{a}{b}$

tuple  $(a, b)$

$(a_1, b_1) + (a_2, b_2) \rightarrow \frac{a_1}{b_1} + \frac{a_2}{b_2}$

$= \frac{a_1 b_2 + a_2 b_1}{b_1 b_2} = \frac{a_3}{b_3}$



Representing rational numbers as a **tuple** makes it confusing to use. But! we can make our own **Rational** type by defining a **Rational** class:

```
class Rational:
    """Represent a rational number as the ratio of two integers

    Attributes:
        numerator, denominator: Integers defining this rational number
    """

    # Define an initializer that sets the numerator and denominator attributes.
    # It also needs a docstring, but note we don't include a return value since
    # it does not return. We also don't document the "self" parameter since it
    # already has a defined role in the Python language specification.
    def __init__(self, numerator, denominator):
        """
        Initialize a rational number from the numerator and denominator.

        Args:
            self? x
            numerator, denominator: Integers defining this rational number
        """
        self.numerator = numerator
        self.denominator = denominator
```

Creating a new "instance of the **Rational** class" (i.e. object) and accessing attributes:

```
>>> r1 = Rational(1, 10)
>>> r1.numerator
1
>>> r1.denominator
10
>>> r2 = Rational(2, 10)
>>> r2.numerator
2
>>> r2.denominator
10
```

Let's define our own method to **add** two rational objects (which should also return a **Rational** object).

## Question 1: Which of the following best describes the code elements below?

```
class Klass:
    def __init__(self, x):
        self.xcoord = x

    def act_on(self, value):
        self.xcoord += value

k = Klass(4)
```

- A. `Klass` is a class, `xcoord` an instance variable, `act_on` is a method, `k` is an instance.
- B. `Klass` is a class, `xcoord` a method, `act_on` is an instance variable, `k` is an instance.
- C. `Klass` and `k` are instances, `xcoord` an instance variable, `act_on` is a method.
- D. `Klass` and `k` are classes, `xcoord` an instance variable, `act_on` is a method.
- E. `Klass` is a class, `xcoord` and `act_on` are methods, `act_on` is a method, `k` is an instance.



Question 2: After the above code executes, what is the value of **k.xcoord**?

```
class Klass:
    def __init__(self, x):
        self.xcoord = x

    def act_on(self, value):
        self.xcoord += value

k = Klass(4)
k.act_on(2)
```

Handwritten annotations: A purple '4' is written above the parameter 'x' in the `__init__` method. Another purple '4' is written at the end of the assignment `self.xcoord = x`. A purple arrow points from the '4' in `k = Klass(4)` to the parameter 'x'. Another purple arrow points from the '2' in `k.act_on(2)` to the parameter 'value'. A purple arrow points from the `act_on` method to the `+=` operator. The text `+= 2` is written in purple next to the arrow.

A. "x"

B. 0

C. 2

D. 4

E. 6

"Dunder" methods (double underscore) methods are special methods that allow us to override operators.

Examples:

- `__add__` used for `+`
- `__eq__` used for `==`
- `__leq__` used for `<=`
- `__str__` used when we pass an object to the `print` function
- `__repr__` used to display variable (e.g. at the interpreter `>>>` prompt)

$$r_1 = \frac{a_1}{b_1} \equiv r_2 = \frac{a_2}{b_2} \quad ?$$

$$a_1 b_2 \equiv a_2 b_1$$

### Question 3: Which correctly describes the methods on **Rational** executed in the code below?

```
r1 = Rational(1, 10)
r2 = Rational(2, 10)
r3 = r1 + r2
print(r2)
```

- A. `__init__`
- B. `__init__`, `__add__`
- C. `__init__`, `__str__`
- D. `__init__`, `__add__`, `__str__`
- E. `__init__`, `__add__`, `__str__`, `__eq__`

Using "inheritance" to *derive* a *child* **Dollar** class from the *base* **Rational** class:

```
class Dollar(Rational):
    def __init__(self, cents):
        # Use `super()` to call `Rational`'s initializer,
        # passing through the cents as the numerator
        super().__init__(cents, 100)

    def __str__(self):
        dollars = self.numerator // 100
        cents = self.numerator % 100
        cents_str = str(cents) if cents >= 10 else "0" + str(cents)
        return "$" + str(dollars) + "." + cents_str
```



# Summary and Reminders

- **Terminology:** class, object, method, instance variables, base/parent class, derived/child class.
- More OOP on Wednesday: application to games!
- Programming Assignment 5 final due date on Thursday.
- Programming Assignment 6 initial due date on Thursday.
- Use "Regrade Requests" form on the website. See Gradescope comments by clicking on **Code**.